

Searching for New Physics at the Quantum Technology Frontier 21st Jan. 2022

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## On the path to improve the nuclear g-factor of <sup>133</sup>Cs

#### Outline

- 1. Improve the measurement of the nuclear Landé g-factor of the <sup>133</sup>Cs ground state
- 2. The measurement exploiting Bell-Bloom magnetometry
- 3. Preliminary analysis (and potential relevance for axion-wind effects)

# 1. Precession frequency and Landé g-factors

The spin of a particle precesses around the magnetic field.

This frequency is given by

 $\omega = \gamma \left| \vec{B} \right|$ 

Where  $\gamma$  is the gyromagnetic ratio of the spin state.

This  $\gamma$  itself is a function of

$$\gamma = rac{g \ \mu_B}{\hbar}$$



### 1. Precession frequency and Landé g-factors

When the spin is associated with a hyperfine level, the corresponding Landé g-factor is

$$g_F = g_J \frac{F(F+1) - I(I+1) + J(J+1)}{2F(F+1)} + g_I \frac{F(F+1) + I(I+1) - J(J+1)}{2F(F+1)}$$

where F, I and J are the hyperfine, nuclear and electronic angular momenta quantum numbers.

The ground state of <sup>133</sup>Cs is 6 
$${}^{2}S_{1/2}$$
. Given that  $I = \frac{7}{2}$  and  $J = \frac{1}{2}$  there are two possibilities for  $F = 3, 4$ .

$$F = 4$$
$$g_{F=3} = \frac{g_J + 7g_I}{8}$$

$$F = 3$$
$$g_{F=3} = \frac{-g_J + 9g_I}{8}$$

# 1. Precession frequency and Landé g-factors

If two precession frequencies associated with each hyperfine level are measured **at the same time**, then

$$R = \frac{\omega_{F=3}}{\omega_{F=4}} = \frac{|\gamma_{F=3}||\vec{F}|}{|\gamma_{F=4}||\vec{F}|} = \frac{\frac{g_{F=3}}{h}}{\frac{g_{F=3}}{h}} = \frac{|-g_{I} + 9g_{I}|}{|g_{I} + 7g_{I}|}$$



magnetometer array for the n2EDM experiment", Pais 2021

Frequency ratio uncertainty  $\Delta R$ 

# 2.1 The measurement: Bell-Bloom magnetometry



The CsM is based on the Bell-Bloom technique, with linear polarisation, and **it measures**  $|\vec{B}|$ .

This is achieved by pumping and probing a coherent precession of an **aligned** spin ensemble of Cs atoms.

In order to do so, the light power must be appropriately modulated.

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## 2.1 The measurement: Bell-Bloom magnetometry



# 2.1 The measurement: Bell-Bloom magnetometry - probing

Both  $\vec{S}_1$  and  $\vec{S}_2$  precess with the Larmor frequency  $\omega_L = \gamma |\vec{B}|$ .

Since the 'head' and 'tail' are indistinguishable, this spin alignment precesses at  $2\omega_L$ .



## 2.1 The measurement: Bell-Bloom magnetometry - the signal



## 2.1 The measurement: Bell-Bloom magnetometry - the signal



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### 2.2 The dual Bell-Bloom measurement

Both  $\omega_{F=4}$  and  $\omega_{F=3}$  can be **alternatingly** obtained with the following setup



# 2.2 The dual Bell-Bloom measurement

id est...



In order to cancel for unknowns drifts, a 3<sup>rd</sup> order ABBABABA... was followed.

Initially, a fixed probe light power was chosen, allowing the best  $\omega_F$  estimation.

This measurement has been running continuously, whenever possible.



When daytime data is neglected, a clear offset from the literature value of R is visible.

This offset seems to be light intensity dependent.



Doing an Allan standard deviation vs. integration time plot for the first batch of data indicates that the  $\Delta R$ limit to improve  $\Delta g_I$  can be achieved between 10 days and 1 month.

However, light intensity corrections need to be taken into account.





#### Conclusion

- 1. The measurement of the larmour precession frequency of both hyperfine ground states of <sup>133</sup>Cs could potentially be used to improve  $\Delta g_I$
- 2. A measurement type is suggested: the dual Bell-Bloom magnetometer.
- 3. The analysis is ongoing. The current plan is to take care of the probe light power dependency of  $R = \frac{\omega_{F=3}}{\omega_{F=4}}$

**Merci Vielmals!**